

**INTERNAL ASSIGNMENT QUESTIONS
M.C.A. I SEMESTER**

2026



PROF. G. RAM REDDY CENTRE FOR DISTANCE EDUCATION

(RECOGNISED BY THE DISTANCE EDUCATION BUREAU, UGC, NEW DELHI)

OSMANIA UNIVERSITY

(A University with Potential for Excellence and Re-Accredited by NAAC with "A" + Grade)

DIRECTOR

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**PROF.G.RAM REDDY CENTRE FOR DISTANCE EDUCATION
OSMANIA UNIVERSITY, HYDERABAD – 500 007**

Dear Students,

Each student has to write the answers to the Assignment questions with neat own handwriting using Blue Pen (Black Ink not allowed) for each paper. Assignments have to submit after the payment of Rs.500/- by showing the receipt of the same. If the Assignment is not submitted within stipulated time i.e. before the theory exams / last date is treated as absent.

Methodology for writing the Assignments (Instructions) :

1. First read the subject matter in the course material that is supplied to you.
2. If possible read the subject matter in the books suggested for further reading.
3. You are welcome to use the PGRRCDE Library on all working days for collecting information on the topic of your assignments. (10.30 am to 5.00 pm).
4. Give a final reading to the answer you have written and see whether you can delete unimportant or repetitive words.
5. The cover page of the each theory assignments must have information as given in FORMAT below.

FORMAT

1. NAME OF THE STUDENT :
 2. ENROLLMENT NUMBER :
 3. NAME OF THE COURSE :
 4. SEMESTER (I, II, III & IV) :
 5. TITLE OF THE PAPER :
 6. DATE OF SUBMISSION :
6. Write the above said details clearly on every subject assignments paper, otherwise your paper will not be valued.
 7. Tag all the assignments paper wise and submit them in the concerned counter.
 8. Submit the assignments on or before **20-07-2026** at the concerned counter at PGRRCDE, OU on any working day and obtain receipt.

DIRECTOR

INTERNAL ASSIGNMENT

MCA SEMESTER - I

Note: Answer all the Questions. Each Question carries three marks		Q10x3M=30M
Paper: I - PCC101	Subject: Mathematical Foundations of Computer Science	
Q No.1	<p>1. Determine the truth value of each of the following: (a) $4+2=6$ and $2+2=4$ (b) $5+4=9$ and $3+3=5$ (c) $6+4=10$ and $1+1=3$ (d) Charminaris in Hyderabad or $7+1=6$ (e) It is not true that Delhi is in Russia (f) It is false that $3+3=6$ and $2+2=8$</p> <p>2. Construct truth tables for the following: (a) $\sim(p \vee q)$ (b) $\sim(p \vee \sim q)$ (c) $(p \wedge q) \vee (p \wedge \sim q)$ (d) $(p \vee q) \vee \sim p$ (e) $\sim(\sim p \vee \sim q)$ (f) $p \wedge (q \wedge p)$ (g) $p \vee \sim(p \wedge q)$</p> <p>3. Show that $((p \vee q) \wedge \sim(p \wedge (\sim q \vee \sim r))) \vee (\sim p \wedge \sim q) \vee (\sim p \wedge \sim r)$ is a tautology</p> <p>4. Write an equivalence formula for $p \wedge (q \leftrightarrow r) \vee (r \leftrightarrow p)$ which does not contain biconditional.</p> <p>5. Prove: If α^2 is an even integer, then α is an even integer.</p> <p>6. Show that $2^{1/2}$ is not a rational number.</p>	
Q No.2	<p>1. Let A be a set with k elements and P(A) its power sets how that the cardinality of P(A) is 2^k.</p> <p>2. If $A \oplus B$ denotes the symmetric difference of two sets A and B, then find $A \oplus B$ for the following: $A = \{a, b\}, B = \{a, c\}$ $A = \{a, b\}, B = \{b, c\}$</p> <p>3. If $A = \{1, 3, 5, 7, 9\}$ and $B = \{3, 5, 8\}$ then find $A \Delta B$ (symmetric difference of the sets A and B).</p> <p>4. Prove (or disprove) by Venn diagram or other wise that $(A \cup B) \cap (B \cup C) \subset (A \cap B)$.</p> <p>5. Define the following: (i) Power set (ii) Partition of a set give examples</p> <p>6. In a survey of 500 people 285 are interested in football game, 195 are interested in hockey game, 115 are interested in basketball game, 45 in football and basketball, 70 in football and hockey and 50 in hockey and basketball games; and 50 are not interested in any of these three games. (i) How many people are interested in all the three of the games? (ii) How many people are interested in exactly one of the games?</p>	

Q No.3	<ol style="list-style-type: none"> 1. Give an example of a non-empty set and a relation on the set that satisfies each of the following properties ; draw a digraph of the relation. (a) Reflexive (b) irreflexive (c) an anti-symmetric relation. 2. Let $A = \{1, 2, 3, 4, 5, 6, 7\}$ and $R = \{(x, y) \mid x - y \text{ is divisible by } 3\}$ Show that R is an equivalence relation. Draw the graph of R. 3. Let $A = \{1, 2, 3\}$ and $R = \{(1, 1), (1, 4), (4, 1), (4, 4), (2, 2), (2, 3), (3, 2), (3, 3)\}$ Write the Matrix of R and sketch its graph. 4. Let R be the relation from $A = \{1, 2, 3, 4, 5\}$ to $B = \{1, 3, 5\}$ which is defined by "x is less than y", write R as a set of ordered pairs: 5. Determine the domain and range of relation R, on set of Integers $R = \{(x, y) \mid x \text{ is a multiple of } 3 \text{ and } y \text{ is a multiple of } 5\}$ 6. Define the terms: (i) Function (ii) One-one function (iii) Onto function (iv) Identify function
Q No.4	<ol style="list-style-type: none"> 1. Let $f: \mathbb{N} \rightarrow \mathbb{N}, f(x) = 2x + 3$, \mathbb{N} being the set of natural numbers. Prove that f is injection but not surjection. 2. Show that the function from the real numbers to the real numbers defined by $f(x) = x^2 + 1$ is one-to-one, onto function and find f^{-1} 3. Let the functions $f: \mathbb{R} \rightarrow \mathbb{R}$ and $g: \mathbb{R} \rightarrow \mathbb{R}$ be defined by $f(x) = 2x + 1, g(x) = x^2 - 2$. Find formulas which define the functions $g \circ f$ and $f \circ g$ 4. Define the terms (a) Partially ordered set (b) Linearly ordered set. Give examples. 5. State and Prove the Principle of Inclusion and Exclusion. 6. How many solutions does $x_1 + x_2 + x_3 = 11$ have, where x_1, x_2, x_3 are nonnegative integers with $x_1 \leq 3, x_2 \leq 4, \text{ and } x_3 \leq 6$.
Q No.5	<ol style="list-style-type: none"> 1. Find the Coefficient of $16x^8$ in $(1 + x^4 + x^8)^{10}$ 2. Find the Generating Function to count the number of Integral Solutions to $e_1 + e_2 + e_3 = 10, 0 \leq e_i \leq n$ 3. Find the Coefficient of $20x^5$ in $(x^3 + x^4 + x^5 + \dots)^5$
Q No.6	<ol style="list-style-type: none"> 1. Solve the recurrence relation $a_r = 2a_{r-1} + 1$ with $a_1 = 7$ for $r > 1$ by substitution. 2. Find the particular solution of $a_r + 5a_{r-1} + 6a_{r-2} = 3r^2$ 3. Find a general expression for a solution to the recurrence relation $a_n + 5a_{n-1} + 6a_{n-2} = 4^n, n \geq 1$
Q No.7	<ol style="list-style-type: none"> 1. Define (i) group (ii) a belian group. 2. Show that addition is a binary operation in the set M of all $m \times n$ matrices. 3. Show that the least common multiple of two natural numbers is a binary operation in the set of natural numbers \mathbb{N}. 4. Define a 'binary operation'. 5. Show that the set $G = \{1, -1, i, -i\}$ where $i = \sqrt{-1}$ is an abelian group with respect to multiplication as a binary operation.,.,., 6. Prove that $G = \{1, \omega, \omega^2\}$ is a group with respect to multiplication where $1, \omega, \omega^2$ are cube roots of unity.

Q No.8	<ol style="list-style-type: none"> Show that the set of four transformations $f_1, f_2, f_3, \text{ and } f_4$ on the set of complex numbers be defined by $F_1(z)=z, F_2(z)=-z, F_3(z)=1/z, F_4(z)=-1/z$ Form a finite abelian group with respect to the binary operation as the composition of product of two functions. Show that the set $G=\{0,1,2,3,4\}$ is an abelian group with respect to addition modulo 5. Show that the set $G=\{1,2,3,4\}$ is an abelian with respect to multiplication modulo 5. On the set of integers Z, we introduce a binary operation $*$ defined as follows .a $*b=a+b+1$, where $+$ is ordinary addition. Show that $(Z, *)$ is a group. Find the order of all element of a group $(Z_4, +_4)$. $(G, *)$ is a group of order 60, find all the sub-groups of G.
Q No.9	<ol style="list-style-type: none"> Draw a graph representing the problem of three houses and three utilities say water, gas and electricity. Define: (a) Graph (b) Self-loop (c) Digraph (d) Multigraph (e) Pseudograph (f) Order of a graph (g) Size of a graph. Give examples. Show that the reinograph with the sequence $(1,1,3,3,3,4,6,7)$. Suppose G is a non-directed graph with 12 edges. If G has 6 vertices each of degree 3 and the rest have degree less than 3, what is the minimum number of vertices G can have? Show that a simple graph of order 4 and size 7 does not exist. A graph G has 21 edges, 3 vertices of degree 4 and other vertices are of degree 3. Find the number of vertices in G. Let C_5 be a cycle graph with n vertices. Prove that C_5 is the only cycle graph isomorphic to its complement. Prove that two graphs are isomorphic if and only if their complements are isomorphic. The adjacency structure of a graph G is given as $G=[A:B, E; B:A, E, F, G; C:D, G, H; D:C, H; E:A, B; F:G; G:B, C, F; H:C, D]$ Draw a graph for The same. 10 If G is not connected then G is connected. Prove
Q No.10	<ol style="list-style-type: none"> G_1 and G_2 are two isomorphic graphs. Show that G_2 is connected if G_1 is connected. Two graphs G and G' are isomorphic if there is a function $f:V(G) \rightarrow V(G')$ from the vertices of G to the vertices of G' such that (i) f is one-one, (ii) f is onto, and (iii) For each pair of vertices u and v of G, $\{u, v\} \in E(G)$ if and only if $\{f(u), f(v)\} \in E(G')$. A non-directed graph G is connected if and only if G contains a spanning tree. Prove Find the maximum possible height of a binary tree with 13 vertices and draw a graph of the tree. Find the minimum height of the tree with 9 vertices. State Kruskal's algorithm for finding the minimal spanning tree. Let H be a subgraph of a connected graph G. Show that H is a subgraph of some spanning tree T if H contains no cycles. Show that a simple non-directed graph G is a tree if and only if it is connected and has no cycles.

INTERNAL ASSIGNMENT

MCA SEMESTER - I

PAPER – II : Data Structures Using C

Note: Answer all the Questions. Each Question carries three marks Q10x3M=30M

1. a) Explain the compilation and linking process of a C program with a neat block diagram.
b) Write a C program to perform matrix multiplication of two (2x2) matrices using two-dimensional arrays.
2. a) Differentiate between Pass by Value and Pass by Reference with a suitable code example for each.
b) Define a Structure for a Student (containing Roll No, Name, and Marks). Write a program to read and display data for three students using an array of structures.
3. a) Discuss the array representation of a Stack and explain the push and pop operations.
b) Illustrate the process of inserting a new node at the beginning and end of a Singly Linked List.
4. a) Define a Binary Search Tree (BST). Show the steps to insert the following elements into an empty BST: [50, 30, 70, 20, 40, 60, 80]
b) Explain the Breadth-First Search (BFS) and Depth-First Search (DFS) graph traversal techniques.
5. a) Demonstrate the Quick Sort algorithm by sorting the following list of numbers: [25, 10, 35, 15, 5, 20]
b) What is Hashing? Explain any two collision resolution techniques used in hash tables.
6. a) Discuss the various categories of Data Types in C and explain the differences between Constants and Variables.
b) Write a C program to perform Linear Search on a one-dimensional array of elements.
7. a) What is Recursion? Write a recursive C function to find the factorial of a given number.
b) Highlight the key differences between Structures and Unions. Provide a code snippet to support your answer.
8. a) Explain the concept of a Queue and describe its practical applications in computer science.
b) What is a Doubly Linked List? Explain how it differs structurally and operationally from a Circular Linked List.
9. a) Given a Binary Tree, explain the three types of Tree Traversals: In-order, Pre-order and Post-order.
b) What is an AVL Tree? Explain the concept of balance factor and why it is an important question.
10. a) Illustrate the step-by-step process of sorting an array of numbers using Merge Sort.
b) Explain the concept of Binary Search and state its time complexity compared to Linear Search.

**INTERNAL ASSIGNMENT
MCA SEMESTER - I**

PAPER – III : Object Oriented Programming Using Java

Note: Answer all the Questions. Each Question carries three marks Q10x3M=30M

1. What are the benefits of Object-Oriented Development?
2. Explain classes, objects, inheritance, packages and interfaces in Java.
3. Explain byte streams and character streams in Java.
4. What is exception handling? Explain multi threaded programming in Java.
5. Explain the Collection Framework and its interfaces in Java.
6. Describe the use of Maps, Iterators, and Comparators in Java.
7. Explain the Delegation Event Model in Java.
8. Describe the different AWT controls and layout managers used in Java GUI programming.
9. Explain JDBC architecture and JDBC drivers.
10. Describe the servlet lifecycle and request-response handling in servlets.

INTERNAL ASSIGNMENT

MCA SEMESTER - I

PAPER – IV : Computer Architecture

Note: Answer all the Questions. Each Question carries three marks Q10x3M=30M

1. Explain about fixed point representation and floating point representation.
2. Describe about design of control unit with timing diagram.
3. Explain about bus and memory structure.
4. Discuss about DMA controller.
5. Give the overview of mapping procedures.
6. What do you mean by instruction cycle?. Explain it with a float chart.
7. Describe about booth's multiplication.
8. Explain about virtual memory.
9. Differentiate between parallel and vector processing.
10. Describe about I/O interface.

INTERNAL ASSIGNMENT – 2025
MCA SEMESTER - I
PAPER – V : Probability and Statistics

Note: Answer all the Questions. Each Question carries three marks Q10x3M=30M

1. Define Vector Space and Subspace, give examples.
2. Explain briefly about point estimated and interval estimates with examples
3. State and prove multiplication theorem of probability
4. What is ANOVA?
5. Give the Differences between correlation and Regression Analysis
6. Write about linear Transformations, give examples
7. State and prove Baye's Theorem
8. Explain about Sampling Distribution
9. What is one sample and two sample testing of hypothesis for large samples
10. Explain goodness of fit.

INTERNAL ASSIGNMENT – 2025

MCA SEMESTER - I

PAPER – VI : Managerial Economics & Accountancy

Note: Answer all the Questions. Each Question carries three marks Q10x3M=30M

1. What is Managerial Economics? How does it differ from economics?
2. What is the significance of Managerial Economics in decision-making?
3. Distinguish between substitutes and complements with examples. How does this distinction of goods help in business decision-making?
4. Explain the Law of Demand and also its exceptions.
5. Distinguish between monopoly and perfect competition.
6. Explain the assumptions and limitations of Break-even analysis.
7. Write down the five methods of capital budgeting along with decision rules.
8. Distinguish between fixed and variable working capital, along with diagrams.
9. Explain any four concepts of accountancy.
10. Differentiate between capital expenditure and revenue expenditure.
